# Maths HT1 <br> <br> Knowledge Organiser <br> <br> Knowledge Organiser <br> <br> Year 7 

 <br> <br> Year 7}

"Knowledge is Power"
Francis Bacon 1597

## Year 7 Knowledge Organiser: Maths HT1

| A. Key Terminology |  |  | Examples |
| :---: | :---: | :---: | :---: |
| 1 | Number | An arithmetical value, expressed by a word, symbol, or figure, representing a particular quantity | 'Two' can be written as ' 2 ' or shown as 2 of something. |
| 2 | Integer | Whole numbers including zero. These can be positive or negative numbers. They cannot have a decimal or fraction. | $-2,-1,0,1,2,3, \ldots$ |
| 3 | Positive number | Any number above zero. | 1, 2, 3, 4........ |
| 4 | Negative number | Any number below zero. Always written with a negative sign in front of it. | $-1,-2,-3,-4 \ldots \ldots$. |
| 5 | Decimal | A number with a decimal point in it. Can be positive or negative. | 0.2, -0.57, 1.23 etc. |
| 6 | Operation | In mathematics, an operation is a function which takes some input (or inputs) and produces an output. The most common operations are addition, subtraction, multiplication, and division. | $+,-, \times, \div$ |
| 7 | Inverse operation | The operation that reverses the effect of another operation. |  |
| 8 | Addition | Finding the total value of two or more numbers. To add. Other terms: plus, sum, total. Addition is the inverse operation of subtraction. | $\begin{aligned} & \text { Symbol: + } \\ & 3+2=5 \end{aligned}$ |
| 9 | Sum | The sum is the result of adding two or more numbers. | The sum of 3 and 2 is 5 |
| 10 | Subtraction | Subtraction is when you find the difference between two numbers. To subtract. Other terms: minus, take-away. Subtraction is the inverse operation of addition. | Symbol: - $7-5=2$ |
| 11 | Find the difference | The result of subtracting one number from another. Finding the distance between two numbers on a number line. | The difference between 17 and 23 $23-17=6$ <br> The difference between them is 6 . |
| 12 | Multiplication | Multiplication is the operation of scaling one number by another. Multiplication is the inverse operation of division. | $\begin{aligned} & \text { Symbol: } \times \\ & 3 \times 11=33 \\ & \hline \end{aligned}$ |
| 13 | Product | Product is the result of multiplying two or more numbers. | The product of 4 and 5 is 20 . $4 \times 5=20$ |
| 14 | Division | Division can be sharing - the number to be divided is shared equally into the stated number of parts. Division is the inverse operation of multiplication. | Symbol: $\div$ $8 \div 4=2$ |
| 15 | is Equal to | To be equal to, is to have the same value or amount. | $\begin{aligned} & \text { Symbol: }= \\ & 2 \times 3=4+2 \\ & \hline \end{aligned}$ |
| 16 | is Not equal to | To be not equal to, is to not have the same value or amount. Also known as an inequality. | $\begin{aligned} & \text { Symbol: } \neq \\ & 2 \times 5 \neq 11 \end{aligned}$ |
| 17 | Less than | A value or amount that is less than another value or amount. | Symbol: < <br> $21<3021$ is less than 30 |
| 18 | Greater than | A value or amount that is greater than another value or amount. | Symbol: > <br> $30>2130$ is greater than 21 |
| 19 | Factor | Factors are numbers that divide exactly into another number. | The factors of 8 are: $1,2,4,8$. |
| 20 | Multiple | The result of multiplying a number with a whole number, multiples are really just extended times tables. | The multiples of 2 are: $2,4,6$, 8.....and so on |


| B. Place Value and Ordering Integers and Decimals |  |  |  |  |  |  |  |  | Examples |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Place Value | The value of a digit in a number depends upon its position, or place. The position, or place, of each digit represents a power of ten. |  |  |  |  |  |  | In 1234 the digits represent 1 thousand, 2 hundreds, 3 tens, and 4 ones. |
|  |  | counds | reds |  | ${ }_{\text {Ones }}^{15}$ |  | Trents |  |  |
|  |  | 1 | 6 | 8 | 2 |  |  | 7 | 3 |
|  |  |  |  |  |  |  |  |  |  |
| 2 | Zero place holder | A zero that is used as a place holder to represent the absence of a particular power of ten. |  |  |  |  |  |  | The number 702 has no tens. |
| 3 | to Order numbers | Ordering numbers is a method of arranging them in order, often in ascending or descending order. |  |  |  |  |  |  |  |
| 4 | Ascending | To order a set of numbers of values from smallest to largest. |  |  |  |  |  |  | These numbers are in ascending order: 1, 2, 3, 4, 5 |
| 5 | Descending | To order a set of numbers of values from largest to smallest. |  |  |  |  |  |  | These numbers are in descending order: 5, 4, 3, 2, 1 |
| 6 | Order integers | To order whole numbers: order by the number of digits and look at what each digit in each number represents. |  |  |  |  |  |  | These numbers are in ascending order: 1, 31, 101, 2536 |
| 7 | Order decimals | To order decimals: order by whole number part, then put the decimal parts in order by comparing the digits in each decimal place working from left to right. |  |  |  |  |  |  | These numbers are in ascending order: 0.2, 1.3, 2.05, 10.1 |
| 8 | Number line | A number line is a line with numbers which can be positive or negative, integers, decimals, or fractions, and these are placed in the correct position at even intervals along the number line. |  |  |  |  |  |  |  |
|  |  | Negative Numbers |  |  |  | Positive Numbers |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| Numbers to the left on a number line are smaller than those to their right. The value of negative numbers decreases from right to left. For example, $\mathbf{- 7}$ is less than $\mathbf{- 2}$ |  |  |  |  |  |  |  |  |  |
| 9 | Less than | A value or amount that is less than another value or amount. Symbol: < |  |  |  |  |  |  | $21<3021$ is less than 30 |
| 10 | Less than or equal to | A value or amount that is less than or equal to another value or amount. Symbol: $\leq$ |  |  |  |  |  |  | The value $x$ is $\leq$ to $£ 12$, so $x$ could be $£ 12$ or it could be $£ 20$ |
| 11 | Greater than | A value or amount that is greater than another value or amount. Symbol: > |  |  |  |  |  |  | $30>2130$ is greater than 21 |
| 12 | Greater than or equal to | A value or amount that is greater than or equal to another value or amount. Symbol: $\geq$ |  |  |  |  |  |  | The value $x$ is $\geq$ to $£ 12$ |
| 13 | Rounding Numbers | Rounding means making a number simpler but keeping its value close to what it was. The result is less accurate, but easier to use. <br> 43 rounded to the nearest ten is 40 , because 43 is closer to 40 than to 50 . But 46 goes up to 50 . <br> - Decide which is the last digit to keep <br> - Leave it the same if the next digit is less than 5 (this is called rounding down) <br> - Increase it by 1 if the next digit is 5 or more (this is called rounding up) |  |  |  |  |  |  |  |
| 14 | Round to decimal places | A number can be rounded to any number of decimal points, often to 1 or 2 decimal places (d.p.). The number 1.253 rounded to 1 d.p. is 1.3 , and to 2 d.p. is 1.25 . |  |  |  |  |  |  |  |
| 15 | Significant figures | If something is 'significant' it is large or important. The most significant figure means 'largest' or 'most important'. The first significant figure (s.f.) in a number is the first digit that is not 0 . In the number 321 , the first s.f. is the 3 which represents 300 . We can round to any number of s.f., often to 1 s.f. The number 757 rounded to 1 significant figure would be 800 . |  |  |  |  |  |  |  |


| C. Solving Problems with Addition and Subtraction |  |  | Examples |
| :---: | :---: | :---: | :---: |
| 1 | Addition | Finding the total value of two or more numbers. To add. Other terms: plus, sum, total. <br> Addition is the inverse operation of subtraction. | $\begin{aligned} & \text { Symbol: + } \\ & 3+2=5 \end{aligned}$ |
| 2 | Subtraction | Subtraction is when you find the difference between two numbers. To subtract. Other terms: minus, take-away. Subtraction is the inverse operation of addition. | Symbol: - $7-5=2$ |
| 3 | Commutative | Addition is commutative - the order of addition does NOT change the result. <br> Subtraction is NOT commutative. The order of subtraction does change the result. | $2+3=3+2$ |
| 4 | Associative | Addition is associative. When you add you can do so regardless of how the numbers are grouped. Subtraction is not associative. | $1+(2+3)=(1+2)+3$ |
| 5 | Column Addition | It is not always possible to complete addition calculations mentally (i.e., in your head), you can use column addition. Use the following steps: <br> - List the numbers being added together underneath one another, so that digits with the same place value are aligned vertically. <br> - Always work from right to left, <br> - Add the numbers in the ones column first, write the answer underneath the numbers that are being added together, <br> - If the answer has 2 digits than the second digit is written underneath the numbers being added, and the first digit is carried over to be added to the next place value column. | To solve the addition: $56+272+191$ |
| 6 | Column Subtraction | It is not always possible to complete subtraction calculations mentally (i.e., in your head), you can use column subtraction. Use the following steps: <br> - List the number being subtracted under the other number, <br> - Ensure the digits with the same place value are aligned vertically, <br> - Always work from right to left, <br> - Subtract the numbers in the ones column first and write the answer underneath the ones column. <br> - Continue to work from right to left until you have completed all subtraction calculations and you have your answer, <br> - If the top number is smaller than the bottom number, take one from the column to the left and exchange it to enable you to complete the subtraction. <br> - In this example, in the tens column, because the 3 is smaller than the 7 , you take 1 from the hundreds column and exchange it for ten tens so the tens column becomes 13 . | To solve the subtraction: 639-271 |

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| C. Solving Problems with Addition and Subtraction |  |  | Examples |
| :---: | :---: | :---: | :---: |
| 7 | Perimeter | Perimeter is the total distance around a two-dimensional (or flat) shape. To calculate the perimeter of a shape, add together the lengths of all the sides. | The perimeter of the football field is 340 m : $100+100+70+70=340 \mathrm{~m}$ |
| 8 | Measurement | The metric units of length are millimetre ( mm ), centimetre $(\mathrm{cm})$, metre $(\mathrm{m})$ and kilometre $(\mathrm{km})$ <br> - $10 \mathrm{~mm}=1 \mathrm{~cm}$ <br> - $100 \mathrm{~cm}=1 \mathrm{~m}$ <br> - $1,000 \mathrm{~m}=1 \mathrm{~km}$ | We can convert between different units of measurement: <br> 123 cm is the same as 1.23 m <br> 123 cm is the same as 1230 mm |
| 9 | Measurement | The metric units of mass are grams (g) and kilograms (kg) <br> - $1,000 \mathrm{~g}=1 \mathrm{~kg}$ | $3,000 \mathrm{~g}$ is the same as 3 kg |
| 10 | Measurement | The metric units of capacity are millilitres (ml) and litres (I) <br> - $1,000 \mathrm{ml}=1$ । | 1.25 I is the same as $1,250 \mathrm{ml}$ |
| 11 | Money | The currency used in the UK is pounds is a range of coins and pence ( 100 p ) equate to one pound ( $£ 1$ ). The format for writ which is four pounds and two pence. | d notes that are used. One hundred ing pounds and pence is: $£ 4.02$ |
| 12 | Time | Units of time are seconds (secs), minutes (mins), hours (hrs) <br> - 60 seconds $=1$ minute <br> - 60 minutes $=1$ hour <br> - 24 hours $=1$ day <br> - 1 week = 7 days <br> - 365 days $=1$ year | days, weeks, years. |
| 13 | Time | Analogue <br> Telling the Time | Digital <br> Half past one |
| 14 | Time | Time can be represented in 12-hour format (e.g., 3am or 3p 15:00 | ), or 24-hour format (e.g., 03:00 or |
| 15 | Days | Sunday, Monday, Tuesday, Wednesday, Thursday, Friday, S | aturday, Sunday |
| 16 | Months | January (31 days), February (28 days unless a leap year then days), May (31 days), June (30 days), July (31 days), August October (31 days), November (30 days), December (31 days). | 29 days), March (31 days), April (30 (31 days), September (30 days), ). |

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| D. Shape |  |  | Examples |
| :---: | :---: | :---: | :---: |
| 1 | Parallel Lines | Parallel lines are two lines that never meet however far they are extended. They are always an equal distance apart from one another. |  |
| 2 | Perpendicular Lines | Perpendicular lines are defined as two lines that meet or intersect (cross) each other at a right angle $\left(90^{\circ}\right)$. |  |
| 3 | 2D shape | 2D stands for 2-dimensional. 2-dimensional shapes are flat and only have two dimensions: length and width. They include squares, rectangles, circles, triangles........ |  |
| 4 | Quadrilateral | A quadrilateral is a 4 -sided 2D shape. They have 4 sides and 4 angles. The interior angles always add up to $360^{\circ}$. | Types include square, rectangle, parallelogram, rhombus |
| 5 | Triangle | A triangle is a 3 -sided 2D shape. They have 3 sides and 3 angles. The interior angles always add up to $180^{\circ}$ | Types include isosceles, equilateral, scalene, right angle |
| 6 | Polygon | A polygon is a 2D shape that has 3 sides or more, are made of straight lines, and are closed (no open sides) |  |
| 7 | Regular polygon | A polygon is regular is all its sides and interior angles are equal. |  |
| 8 | Irregular polygon | An irregular polygon can have sides of any length and interior angles of any size. |  |
| 9 | Polygon | Common polygons include triangle, quadrilateral, pentagon, hexagon, heptagon, octagon |  |
| 10 | 3D Shape | 3D shapes have three dimensions - length, width, and depth. | Types include cube, cuboid, triangular prism, cylinder, pyramid |
| 11 | Face | Any of the individual flat surfaces of a solid object. | vertex |
| 12 | Vertex | A point where two or more line segments meet. A corner. | Ee |
| 13 | Edge | Edges are the line segments that join one vertex to another and are also where the shape's faces meet. |  |
| 14 | Compound Shape | A composite or compound shape is any shape that is made up of two or more geometric shapes. |  |

## 2-D SHAPES AND POLYGONS

Square


## 3-D SHAPES



| E. Co-ordinates and Symmetry |  |  | Examples |
| :---: | :---: | :---: | :---: |
| 1 | Axis | - A graph is made up of an $x$-axis and a $y$-axis. The horizontal axis is called the x -axis, this is the axis going across from left to right. <br> - The vertical axis is called the $y$-axis, this is the axis which goes up and down. |  |
| 2 | Coordinates | - A point on a grid has two numbers to identify its position. These numbers are known as coordinates. <br> - Coordinates are always written as the $x$-coordinate value (across) first, and the $y$-coordinate value (up or down) second. |  |
| 3 | Origin | The coordinate ( 0,0 ), where the $x$-axis and $y$-axis intersect or cross. |  |
| 4 | Coordinate plane (grid) | Divided into 4 quarters by the $x$-axis (horizontal) and the $y$ axis (vertical): <br> Quadrant 1: $x$ and $y$ are positive. <br> Quadrant 2: $x$ negative and $y$ positive. <br> Quadrant 3: $x$ and $y$ are negative. <br> Quadrant 4: $x$ positive and $y$ negative. |  |
| 5 | Line <br> Symmetry | A line of symmetry, or line of reflection, divides an object into two parts that are the same size and shape |  |
| 6. | Line symmetry \& Polygons | For a regular polygon, the number of sides is equal to the number of lines of symmetry. |  |
| 7 | Reflection | A reflection produces a mirror image of a shape along a line of reflection. An image can be reflected across a line of reflection. The line of reflection could be the $x$-axis or $y$ axis, or a given line on a grid. <br> In the given example, shape A (the object) has been reflected across the $x$-axis to create the reflected image, shape $B$. |  |
| 8 | Rotational Symmetry | - A shape has rotational symmetry when it can be rotated (less than $360^{\circ}$ ) and look exactly the same as it did at its starting point. <br> - The order of rotational symmetry is the number of times it fits into itself through a rotation of $360^{\circ}$. <br> - If a shape only fits into itself once, it has no rotational symmetry. We also state that it has rotational symmetry of order 1 . |  |
| 9 | Rotational Symmetry \& Polygons | In regular polygons, the order of rotational symmetry is equal to the number of sides | The order of rotational symmetry of a regular octagon is 8 |

